

First/Second Semester B.E./B.Tech. Degree Examination, June/July 2024
Engineering Mechanics

Time: 3 hrs.

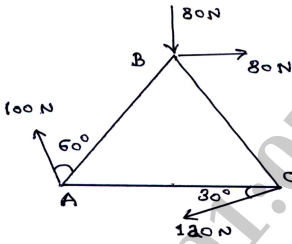
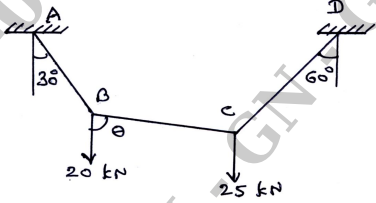
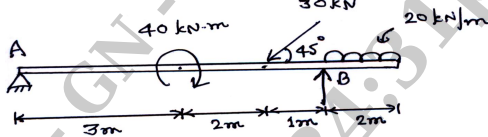
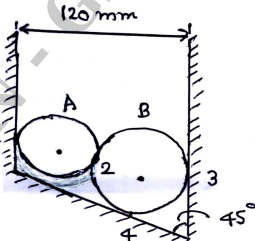
Max. Marks: 100

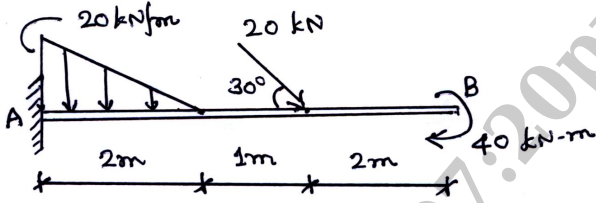
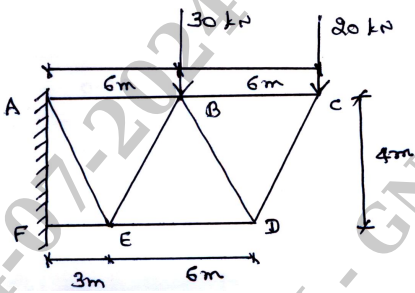
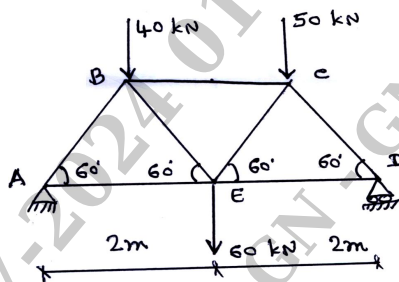
Note: 1. Answer any FIVE full questions, choosing ONE full question from each module.

2. *M* : Marks , *L*: Bloom's level , *C*: Course outcomes.

Module – 1			M	L	C
Q.1	a.	<p>Explain the following:</p> <p>i) Principle of transmissibility of a force</p> <p>ii) Composition of forces and resolution of a force.</p>	6	L2	CO1
	b.	<p>Determine the fourth unknown force in magnitude and direction so that the resultant \vec{R} acts as shown in the Fig.Q.1(b).</p> <p>Fig.Q.1(b)</p>	6	L3	CO1
	c.	<p>Compute the resultant of the force system shown in the Fig.Q.1(c) with respect to point A. Also, locate the point where the resultant cuts the line AB.</p> <p>Fig.Q.1(c)</p>	8	L3	CO1, 2
OR					
Q.2	a.	<p>State and prove principle of moments.</p>	6	L2	CO1
	b.	<p>Determine the unknown force \vec{F} and its direction so that the resultant \vec{R} of magnitude 72N acts along the positive direction of Y axis (\uparrow).</p> <p>Fig.Q.2(b)</p>	6	L3	CO1

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	c.	<p>Compute the magnitude and direction of the resultant of the force system shown in the Fig.Q.2(c) with respect to point A of the equilateral triangle ABC. Side of triangle is 100mm. Also, find the location of the resultant along the edge AC.</p>  <p>Fig.Q.2(c)</p>	8	L3	CO1
Module – 2					
Q.3	a.	<p>Define equilibrium. State the conditions for the equilibrium of coplanar</p> <p>i) Concurrent force system ii) non-concurrent force system.</p>	5	L2	CO2
	b.	<p>In the given string system, determine the tensions in the strings and the angle θ for equilibrium.</p>  <p>Fig.Q.3(b)</p>	7	L3	CO2
	c.	<p>Determine the reactions in the beam shown in the Fig.Q.3(c).</p>  <p>Fig.Q.3(c)</p>	8	L3	CO2
OR					
Q.4	a.	<p>Distinguish between :</p> <p>i) Statically determinate and indeterminate beams.</p> <p>ii) Hinged support and fixed support.</p>	6	L2	CO2
	b.	<p>Compute the reactions at the contact points in the system shown (1, 2, 3, 4).</p> <p>Weight of sphere A = 50N Weight of sphere B = 80N Diameter of sphere A = 50mm Diameter of sphere B = 100mm.</p>  <p>Fig.Q.4(b)</p>	8	L3	CO2

	c.	Determine the support reactions in the beam shown :  Fig.Q.4(c)	6	L3	CO2
Module – 3					
Q.5	a.	Determine the forces in the members of the truss shown in the figure by the method of joints.  Fig.Q.5(a)	10	L3	CO3
	b.	State the laws of dry friction.	3	L2	CO3
	c.	A weight 500N just starts moving down a rough inclined plane supported by a force of 200N acting parallel to the plane and it is at the point of moving up the plane when pulled by a force of 300N parallel to the plane. Find the inclination of the plane and the coefficient of friction between the inclined plane and the weight.	7	L3	CO3
OR					
Q.6	a.	Compute the forces in the members of the truss shown in the Fig.Q.6(a) by the method of joints.  Fig.Q.6(a)	10	L3	CO3
	b.	Distinguish between angle of friction and angle of repose. Illustrate with a sketch.	3	L2	CO3
	c.	A uniform ladder 4m long weighing 300N is placed against a vertical wall with an angle 60° with the floor. The coefficient of friction between the wall and the ladder is 0.25 and that between floor and ladder is 0.35. The ladder has to support a load of 1500N at its top. Find the horizontal force P to be applied at the bottom of the ladder to just prevent slipping.	7	L3	CO3

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Module – 4

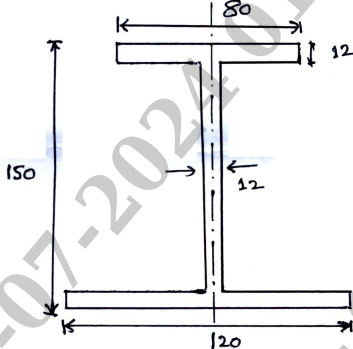
Q.7	a.	From first principles, derive the expression for locating the centroid of a semi-circular section.	6	L3	CO4
	b.	Illustrate: i) Parallel axis theorem ii) Perpendicular axis theorem.	4	L2	CO4
	c.	Determine the polar moment of inertia of the I-section shown in Fig.Q.7(c). All the dimensions are in mm. 	10	L3	CO4

Fig.Q.7(c)

OR

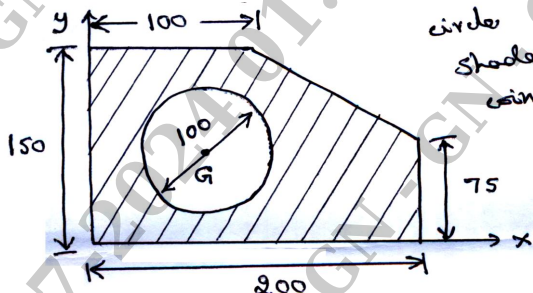
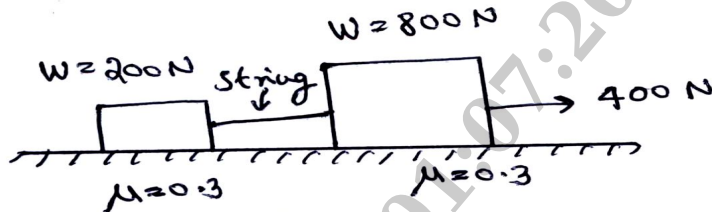
Q.8	a.	Derive the expression for the moment of inertia of a triangular section about its base. Hence, arrive at the expression about its parallel centroidal axis.	6	L3	CO4
	b.	Define and give the mathematical expressions for : i) Moment of inertia ii) Radius of gyration.	4	L2	CO4
	c.	Locate the centroid of the shaded lamina shown in the Fig.Q.8(c). Given that the centroid of the circle and the shaded lamina coincide. 	10	L3	CO4

Fig.Q.8(c)

Module – 5

Q.9	a.	Derive the three fundamental equations of linear motion.	6	L2	CO1
	b.	Determine the least initial velocity with which a projectile is to be projected so that it clears a wall 4m height located at a distance of 5m, and strikes the horizontal plane through the foot of the wall at a distance 4m beyond the wall. The point of projection is at the same level as the foot of the wall.	6	L3	CO5

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c.	<p>Compute the acceleration of the system and the tension in the string shown in the Fig.Q.9(c). Adopt D'Alembert's principle.</p>  <p style="text-align: center;">Fig.Q.9(c)</p>	8	L3	CO5	
OR					
Q.10	a.	State and explain D'Alembert's principle. Give an example.	6	L2	CO5
	b.	A ball is thrown vertically upwards with an initial velocity of 36m/s. After 2 seconds, another ball is thrown vertically upwards. What should be its initial velocity so that it crosses first ball at a height of 30m?	8	L3	CO5
	c.	A projectile is aimed at a target on the horizontal plane and falls 12m short when the angle of projection is 15°, while it overshoots by 24m when the angle is 45°. Determine the angle of projection to hit the target.	6	L3	CO5
